MeTTaMath:

Integrating Formal Verification into an AGI Cognitive Architecture via the MeTTa language

From METAMATH proof checking to AGI-native verified reasoning

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Motivating Question: How should verified reasoning be integrated into AGIs?

- The ITP model: lean proof kernel that can outsource proof-search to ATPs.
 - Is it important to have proofs in the cognitive language of the AGI system?
 - This may reduce translation errors between systems, etc.
- I'm working with HYPERON—an AGI framework fostering *cognitive synergy* among diverse components using shared knowledge representations.
- METTA: gradually-typed meta-programming language; programming as pattern matching & rewriting over metagraphs.
- If wishing to do inference control experiments as Nil suggests with PLN, which mathematical library should be used?
- (I am neither an expert in MeTTa nor Metamath: there exist educational motives.)

Why Metamath?

- Ultra-minimal proof language with a **single core rule: substitution**.
- Existing tiny Python verifier (mmverify.py) I'd like to minimize work!
- ullet Good alignment with METTA: the proof structure may be *natively* similar in MeTTa.

MeTTaMath: State of the Project

- Metamath verifier implemented in METTA, as a deep embedding¹.
- Small Metamath tests passed.
- Simple demo0.mm (proving t = t) passed through the backward chainer: demo0_bc.metta.

¹Deep = object language as data. Shallow = map constructs directly to host semantics.

Implementation Sketch: Verifier Overview

- mmverify.py parses the METAMATH file sequentially and maintains a frames stack (scope) with:
 - \triangleright Active variable symbols, active floating hypotheses (\approx type decls), essential hypotheses (assumptions), and disjoint-variable constraints (\approx to manage variable scoping).
- Constants, assertions, and proven statements are indexed by label.
- Verification uses a stack to construct the assertion.
- Verification step (hypotheses): push onto the stack.
- Verification step (assertions):
 - 1. Treat each proof step to construct the target assertion via a substitution stack:
 - (a) Construct the substitution from f hyps;
 - (b) Check that the substituted e_hyps match the assertion's e_hyps;
 - (c) Check disjoint-variable constraints: if d(x, y), then
 - $V(\sigma(x)) \cap V(\sigma(y)) = \emptyset$;
 - $\forall x_i \in V(\sigma(x)), y_i \in V(\sigma(y)), d(x_i, y_i).$
 - 2. Push the σ -substituted conclusion onto the stack.

4/27

Implementation Sketch: Verifier Overview (parsing)

- MeTTa HE 0.2.6 is very slow and the string operations currently go through Python, so I didn't bother implementing the parsing.
- The MM.read() function generally looks as follows:

```
mettarl(f'!(add f {mettify(label)} {mettify(stmt[0])} {mettify(stmt[1])} {len(self.fs)})')
    self.add f(stmt[0], stmt[1], label)
    self.labels[label] = ('$f', [stmt[0], stmt[1]])
    label = None
elif tok == '$e':
   if not label:
       raise MMError('$e must have label')
   stmt = self.read_non_p_stmt(tok, toks)
   mettarl(f'!(add_e {mettify(label)} {mettify(stmt)} {len(self.fs)})')
   self.fs.add_e(stmt, label)
    self.labels[label] = ('$e', stmt)
    label = None
elif tok == '$a':
   if not label:
       raise MMError('$a must have label')
   stmt = self.read non p stmt(tok, toks) # Just less-compact
   mettarl(f'!(add a {mettifv(label)} {mettifv(stmt)})')
   dvs, f hvps, e hvps, stmt = self.fs.make assertion(stmt) # make assertion(self.read non p stmt(tok, toks))
   self.labels[label] = ('$a', (dvs. f hyps. e hyps. stmt))
```

MeTTa Basics Interlude

- Everything is an **Atom** (of metatypes: Symbol, Variable, Ground and Expression)
- To me it feels like a mix of declarative and functional programming.
- Data live in spaces; which can be queried with match and unify, and one can chain on the results.
- Rewriting: (= (lhs) rhs) defines reduction rules rules; matching binds variables.
- Results are *superpositions* of matches; non-determinism is the default.

MeTTa Basics Interlude

```
;; Bind the token $subst to a new spcae
!(bind! &subst (new-space))
!(add-atom &subst ("Q" ("t" "=" "t")))
!(match &subst ("P" $rhs) $rhs)
r()1
\Gamma()1
\Gamma()1
```

MeTTa Basics Interlude

```
> ;; Define tokenwise substitution over a 'string' using unify
(= (apply_subst_tok $space $tok)
    (unify $space ($tok $rhs) $rhs $tok))

(= (apply_subst $stmt $space)
    (map-atom $stmt $tok (apply_subst_tok $space $tok)))

;; Run it on a Metamath-like token list
!(apply_subst ("|-" "(" "P" "->" "Q" ")") &subst)
[("|-" "(" ("(" "t" "+" "0" ")" "=" "t") "->" ("t" "=" "t") ")")]
```

MeTTa Data Structures Used

- I use a &stack space for the stack.
- I use a &sp *state* for the stack pointer.
- I use \$subst spaces to build up substitution dictionaries.
- I use the &kb space for everything else:
 - The *labels* of \$f, \$e, \$a, and \$p statements.
 - The frame stack by adding (FSDepth \$d) atoms to expressions on the stack².

²I confess to doing embarrassingly little effort to optimize for performance rather than correctness, unless, however, it was too excruciatingly slow to even do small examples.

Implementation Sketch: Verifier Overview (essential hypotheses)

 add_e adds an essential hypothesis statement to the frame and the list of e_hyps at that frame.

Implementation Sketch: Verifier Overview (disjoint variables)

add_d takes a variable list and adds each new oriented pair to the frame (via &kb).

```
(= (add_dv_pair_if_fresh $x $y $level)
 (if (== $x $v) ()
  (let ($ox $oy) (orient pair $x $y)
     (unify &kb (DVar ($ox $ov) (FSDepth $level) (Type "$d"))
       (add-atom &kb (DVar ($ox $oy) (FSDepth $level) (Type "$d") ))))))
(= (add_d $varlist $level)
 (map-atom $varlist $x
   (map-atom $varlist $v
     (add dv pair if fresh $x $y $level))))
```

Implementation Sketch: Verifier Overview (floating hypotheses)

- add_f registers a floating hypothesis at the current frame depth and adds it to the list of f_hyps at that frame.
- Checks that the *var* and *typecode* are declared, and that the var isn't assigned to any other typecode.

Implementation Sketch: Verifier Overview (axiomatic assertions)

add_a makes an assertion based on the current frame scopes and the statement.

Implementation Sketch: Verifier Overview (provable assertions)

• add_p does the same as add_a after verifying the proof.

Implementation Sketch: Verifier Overview (make assertion)

```
Collect in scope e_hyps, mark mandatory vars, and their DVs and f_hyps.
(= (make_assertion $stmt) (let* (
                ($e_hyps_lists (matchc &kb (EList (FSDepth $level) $elist) ($level $elist)))
                ($e_levels (collapse (match-atom', $e_hyps_lists ($1 $_) $1)))
                ($e_max_level (if (== $e_levels (())) 0 (max-atom $e_levels)))
                ($e_hyps_list (collect_lists_by_depth $e_hyps_lists 1 $e_max_level Nil))
                ($e_hvps_toks (from-list (flatten-list $e_hvps_list)))
                ($_0 (map-atom $e_hyps_toks $tok (add_mand_var $tok)))
                ($_1 (map-atom $stmt $tok (add_mand_var $tok)))
                ($mand_vars (matchc &kb (MandVar $var) $var))
                ($dvs (matchc &kb (DVar ($x $y) $_ (Type "$d")) (unify &kb (MandVar $x) (unify &kb (
            MandVar $y) ($x $y) ()) ())))
                ($f_hvps_lists (matchc &kb (FList (FSDepth $level) $flist) ($level $flist)))
                ($f_levels (collapse (match-atom', $f_hyps_lists ($1 $_) $1)))
                ($f max level (if (== $f levels (())) 0 (max-atom $f levels)))
                (\(\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac}\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac}\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac}\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac}\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac}\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\fir}}}}}}}}}}{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac}\frac{\frac{\fracc}\frac{\frac{\frac{\frac{\frac{\frac{\frac{\frac}\firce{\frac{\fra
                ($f_hyps (filter' $f_hyps_list assign_f_hyp_to_var))
                ($mand vars' (matchc &kb (MandVar $var) $var))
                ($_2 (remove-patternc &kb (MandVar $var)))
          ) ( (DVars $dvs) (FHyps (from-list $f_hyps)) (EHyps (from-list $e_hyps_list)) (Statement
            $stmt) )))
```

Implementation Sketch: Verifier Overview (verify)

Implementation Sketch: Verifier Overview (treat normal proof)

Implementation Sketch: Verifier Overview (treat step)

Looks up the label's data and passes treatment on.

```
(= (treat_step $label)
    (let*
        (() (println! (»»» treating label $label)))
        (($Type $Data) (unify &kb ((Label $label) $Type $Data)
         ($Type $Data)
          (unify &kb ((Label $label) $Type (FSDepth $level) $Data)
           ($Type $Data)
            (Error (label $label) "No statement information found for label")))))
        ($stack_len (case (matchc &stack ( (Num $n) $s ) $n) ( ( () 0 ) ( $nums (+ 1 (max-atom $nums))) )))
        (() (println! ($Type $label data: $Data)))
      (let ()
        (case $Type
            (FHyp (treat hypothesis $label $Type $Data $stack len))
            (EHyp (treat_hypothesis $label $Type $Data $stack_len))
            (Assertion (treat assertion $label $Data $stack len))
            (Proof (treat assertion $label $Data $stack len))
        (println! (stack ($label): (matchc &stack $s $s))))
```

Implementation Sketch: Verifier Overview (treat hypothesis)

If the label is active, the floating or essential hypothesis is added to &stack.

```
(= (treat_hypothesis $label $Type $Data $stack_len)
 (unify &kb (ActiveHvp $label)
   (case $Type
       (FHyp
         (let* (
           ($typecode (match-atom' $Data (Typecode $t) $t))
           ($var (match-atom' $Data (FVar $v) $v))
          ) (add-atom &stack ((Num $stack len) ($typecode $var)))))
        (EHvp
         (let $stmt (match-atom' $Data (Statement $s) $s)
            (add-atom &stack ((Num $stack_len) $stmt)))) ))
   (Error (label $label) "The label is the label of a nonactive hypothesis.")))
```

Implementation Sketch: Verifier Overview (treat assertion)

- 1. Calculates how many atoms to pop from the stack.
- 2. Builds the substitution space from f_hyps on the stack (if the typecodes match what the assertion needs).
- 3. Check that each stack entry matches the substituted e_hyps in order.
- 4. Checks for disjoint variable violations.
- 5. Applies the substitution to the assertion statement, and pushes it to the stack.

```
(= (treat_assertion $label $Data $stack len)
    (let*
       ($dvars (match-atom' $Data (DVars $dvars) $dvars ))
       ($fhyps (match-atom' $Data (FHyps $fhyps) $fhyps ))
       ($ehvps (match-atom' $Data (EHvps $ehvps) $ehvps ))
       ($statement (match-atom' $Data (Statement $statement) $statement ))
       ($lf (size-atom $fhyps))
       ($le (size-atom $ehyps))
       ($npop (+ $lf $le))
       ($sp (- $stack len $npop))
       (() (if (< $sp 0) (Error ((label $label) (npop $npop)) "Stack underflow: proof step requires too many hypotheses") ()))
       ($_0 (change-state! &sp $sp))
       ($subst (new-space)); ($subst &subst)
       ($ 1 (map-atom $fhyps $fhyp (add-subst $subst $fhyp)))
       ($ 2 (map-atom $ehyps $ehyp (check subst $subst $ehyp)))
       ($ 3 (eval (collapse (check dvs $subst $dvars))))
       ($ 4 (matchc &stack ( (Num $n) $s ) (if (>= $n $sp) (remove-atom &stack ( (Num $n) $s )) ())))
       ($new_conclusion (let $new_conclusion (apply_subst $subst $statement) (let () (add-atom &stack ((Num $sp) $new_conclusion))) $new_conclusion)))
       ())):(println! (stack ($label): (matchc &stack $s $s)))))
```

Implementation Sketch: Verifier Overview (...)

• The rest is on github.

Backward Chainer

```
:: Base cases
:: Match the knowledge base
(= (bc $kb $env $ (: $proof $theorem))
   (match $kb (: $proof $theorem) (: $proof $theorem)))
:: Match the environment
(= (bc $kb $env $ (: $proof $theorem))
   (match' $env (: $proof $theorem) (: $proof $theorem)))
:: Recursive step
;; Unary proof application
(= (bc $kb $env (S $k) (: ($rule $arg) $theorem))
   (let* (:: Recurse on unary rule
         ((: $rule (-> $premises $theorem))
          (bc $kb $env $k (: $rule (-> $premises $theorem))))
          ;; Recurse on premise
         ((: $arg $premises)
          (bc $kb $env $k (: $arg $premises))))
    (: ($rule $arg) $theorem)))
;; Binary proof application
(= (bc $kb $env (S $k) (: ($rule $arg1 $arg2) $theorem))
   (let* (:: Recurse on binary rule
         ((: $rule (-> $premises1 $premises2 $theorem))
          (bc $kb $env $k (: $rule (-> $premises1 $premises2 $theorem))))
          :: Recurse on premise 1
         ((: $arq1 $premises1) (bc $kb $env $k (: $arq1 $premises1)))
         ;; Recurse on premise 2
         ((: $arg2 $premises2) (bc $kb $env $k (: $arg2 $premises2))))
     (: ($rule $arg1 $arg2) $theorem)))
```

Backward Chainer Friendly Form?

```
!(bind! &md (new-space))
!(add-atom &md (: (0) Const))
!(add-atom &md (: (+) Const))
!(add-atom &md (: <=> Const))
!(add-atom &md (: (->) Const))
!(add-atom &md (: ([) Const))
!(add-atom &md (: (1) Const))
!(add-atom &md (: (term) Const))
!(add-atom &md (: (wff) Const))
!(add-atom &md (: (|-) Const))
!(add-atom &md (: (t) Var))
!(add-atom &md (: (r) Var))
!(add-atom &md (: (s) Var))
!(add-atom &md (: (P) Var))
!(add-atom &md (: (0) Var))
!(add-atom &md (: tt (: (t) (term))))
!(add-atom &md (: tr (: (r) (term))))
!(add-atom &md (: ts (: (s) (term))))
!(add-atom &md (: wp (: (P) (wff))))
!(add-atom &md (: wg (: (0) (wff))))
!(add-atom &md (: tze (: (0) (term))))
!(add-atom &md (: tpl (-> (: $(t) (term)) (: $(r) (term)) (: ( $(t) (+) $(r) ) (term)))))
!(add-atom &md (: weg (-> (: $\tank term)) (: $\tank term)) (: ($\tank term)) (: ($\
!(add-atom &md (: wim (-> (: $(P) \(\sigma \) (: $\(0\) \(\sigma \) (: \(\sigma \) \(\sigma \) \(\sigma \) \(\sigma \) \(\sigma \)
!(add-atom &md (; a1 (-> (; $(t) (term)) (; $(s) (term)) (; ($(t) (=) $(s) (->) $(s) (->) $(r) (=) $(s) ) ) (|->))))
!(add-atom &md (: a2 (-> (: $\(t\) \(texm\)) (: (( $\(t\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \((\) \(t\) \((\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \(t\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \(t\) \((\) \(t\) \(t\) \(t\) \((\) \(t\) \(t\) \(t\) \((\) \(t\) \(t\) \(t\) \((\) \(t\) \(t\) \(t\) \(t\) \((\) \(t\) \((\) \(t\) \(
!(add-atom \&md (: mp (-> (: \$(P) \ (wff)) (: \$(Q) \ (wff)) (: \$(P) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \ (|->) \
 : !(add-atom &md (: th1 (-> (: $\langle t) \langle (t) \langle (=\langle t) \langle (|-\langle t))))
```

Backward Chainer: Goal

Can the bc find the proof of t = t?

```
> !(bc &self
    Nil
    (fromNumber 10)
    $proof (: (\lambda \lambda \
```

Backward Chainer: Goal

Can the bc find the proof of t = t?

A: nope, but it can replay the proof, but Nil's version is becoming readable.

```
!(assertEqual
     (bc &kbh (fromNumber 5)
                (: (mp (\langle = \rangle (\langle + \rangle \langle t \rangle \langle 0 \rangle) \langle t \rangle)
                                   ((=) (t) (t))
                                   (a2 (t))
                                   (mp (\langle = \rangle (\langle + \rangle \langle t \rangle \langle 0 \rangle) \langle t \rangle)
                                              (\langle - \rangle) (\langle = \rangle (\langle + \rangle \langle t \rangle \langle 0 \rangle) (t) (\langle = \rangle \langle t \rangle \langle t \rangle))
                                              (a2 (t))
                                              (a1 (\langle + \rangle \langle t \rangle \langle 0 \rangle) \langle t \rangle \langle t \rangle)))
                        ((=) (t) (t)))
     (: (mp (\langle = \rangle (\langle + \rangle \langle t \rangle \langle 0 \rangle) \langle t \rangle)
                        (\langle = \rangle \langle t \rangle \langle t \rangle)
                        (a2 (t))
                        (mp (\langle = \rangle (\langle + \rangle \langle t \rangle \langle 0 \rangle) \langle t \rangle)
                                   (\langle - \rangle) (\langle = \rangle (\langle + \rangle \langle t \rangle (0\rangle) (t\rangle) (\langle = \rangle \langle t \rangle (t\rangle))
                                   (a2 (t))
                                   (a1 (\langle + \rangle \langle t \rangle \langle 0 \rangle) \langle t \rangle \langle t \rangle)))
             ((=) (t) (t)))
```

What's next?

- ullet Probably switching from MM o MeTTa to MM0/U o MeTTa.
 - MM0 already does a lot of the work we'd need to do inference over MM.
 - (Also, disjoint variables are kinda quirky and weird.)
- Minimal MeTTa 2 (MM2) is a low-level, efficient version of MeTTa.
- It probably makes sense to explore MM0/U \rightarrow MM2.

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- Minimal MeTTa 2 (MM2) is a low-level, efficient version of MeTTa.
- It probably makes sense to explore MM0/U → MM2.
- ... and I'm open to feedback as to what might make sense in terms of (lazily) integrating formal verification into AGIs.